

# Overview of High beta experiments on JET in preparation of JT60SA

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## 1. Introduction

High beta discharges with normalized Larmor radius ( $\rho^*$ ), and normalized beta ( $\beta_N$ ) relatively close to JT-60SA scenarios hybrid and advanced were realized in a new series of experiments on JET-ILW[1]. The strategy of these experiments was to explore high normalized beta ( $\beta_N$ ) values, MHD effects at different  $B_T$  ( Toroidal Magnetic field on axis) and find discharges with mild MHD. JET/JT-60SA ‘similarity experiments‘ can be done with plasma parameters on JT-60SA, at  $B_T/I_p=1.45T/1.4MA$  and heating power less than 10MW. Deuterium plasmas were realized in hybrid scenario at  $B_T = 1.7, 2, 2.4 T$ ,  $I_p = 1.4 MA$ , elongation  $k = 1.7$ , triangularity  $\delta \approx 0.4$ ,  $q_{95}=4-6$ , and central safety factor  $q_0>1$  at NBI ( Neutral Beam Injection) start, with NBI power  $P_{NBI} = 16-25 MW$ . The preliminary results of the JET high beta experiments were presented in [1]. Here an overview is presented on the following topics : i) confinement properties of high beta discharges versus input power and scaling of confinement improvement with beta; ii) dynamics of formation of the Internal Transport Barriers(ITB) while approaching high beta; iii) pedestal structure and its evolution at high beta ; iv) current profile evolution. It is found that the maximum normalized beta ( $\beta_N$ ) obtainable, increases with input power and depends ( decreases with ) on the magnetic field . These effects are compatible with a small dependence of the confinement time on the input power. Looking into the electron kinetic spatial profiles , the progress toward the high beta is characterized by the formation of an ITB. The confinement dynamics can be related to the critical gradient scale length of the ITG turbulence, which depends on  $T_i/T_e$  and magnetic shear. These discharges indicate that  $H_{98Y}$  ( the improvement confinement factor ) has a linear dependence on the  $\beta_N$ , changing with the magnetic field.

## 2. Confinement properties of high beta discharges

It is interesting to analyze the dependences of the maximum  $\beta_N$  versus the  $P_{NBI}$  at different magnetic field . The Fig. 1 shows these behaviours . Inspecting the Fig.1 and comparing the slopes of the linear fits of  $\beta_N$  vs  $P_{NBI}$  a weak dependence on the magnetic field can be noted .

The linear dependence of  $\beta_N$  vs  $P_{NBI}$  for the  $BT=1.7T$  ( Fig.1) is consistent with the result reported in ref.2,( see [2] Fig.28) corresponding to the medium gas injection ( used also in experiments reported in this paper), and confirmed at  $BT=2.0T$  , and  $BT=2.4T$ . These results confirm the importance of the gas pressure on the confinement , presumably through the improvement of the pedestal confinement. The approximate linear dependence of  $\beta_N$  on  $P_{NBI}$  and a decrease with the magnetic field can be deduced also theoretically, under the hypothesis that the confinement time depends weakly on  $P_{NBI}$  and magnetic field. The definition of normalized beta , i.e.  $\beta_N$  is as follows:

$$\beta = \beta_N \frac{I_p}{a BT} = \frac{3nT}{BT^2 / 2\mu_0} \quad (1)$$

Where  $n$  is the plasma density,  $T$  the plasma temperature ,  $I_p$  the plasma current,  $BT$  the magnetic field and 'a' the torus minor radius. On the other side the definition of the confinement time ( $\tau_E$ ) is given by the following expression ( where the plasma power loss is set equal to the external input power  $P_{NBI}$ ) :

$$P_{\text{loss}} = \frac{nTV}{\tau_E} = P_{NBI} \quad (2)$$

Merging together (1) and (2), we get :  $\beta_N \propto \frac{P_{NBI} \tau_E}{V} \frac{a}{I_p BT}$  (3)

At fixed plasma current and geometry the normalized beta ( eq.3) can be rewritten as follows:

$$\beta_N = \left( \frac{6\mu_0 a}{I_p V} \right) \left( \frac{P_{NBI} \tau_E}{BT} \right) \propto \left( \frac{P_{NBI} \tau_E}{BT} \right) \quad (4)$$

where  $I_p$  is the plasma current in units of MA ,  $V$  the plasma volume.

Therefore , the results shown in Fig.1 are consistent with the formula (4) , i.e.  $\beta_N$  proportional to  $P_{NBI}$  at fixed magnetic field, provided the confinement time has a small dependence on the  $P_{NBI}$  and magnetic field. It is interesting to plot  $\beta_N/P_{NBI}$  versus  $P_{NBI}$  to get some information on the residual dependence of confinement time on the input NBI power : the Fig.2 shows that for  $BT=1.7T$ ,  $2.0T$  and  $2.4T$ , this residual dependence is very small: for example at  $BT=1.7T$  the slope of the linear fit is  $3.6 \cdot 10^{-3}$ . Following the expression (4) the dependence of the confinement time versus the  $P_{NBI}$  can be evaluated: The parameter  $BT*\beta_N/P_{NBI}$  ( which is proportional to the confinement time) and its linear fit versus  $P_{NBI}$  shows a weak dependence on the  $P_{NBI}$  power being the slope  $3.4 \cdot 10^{-3}$ .

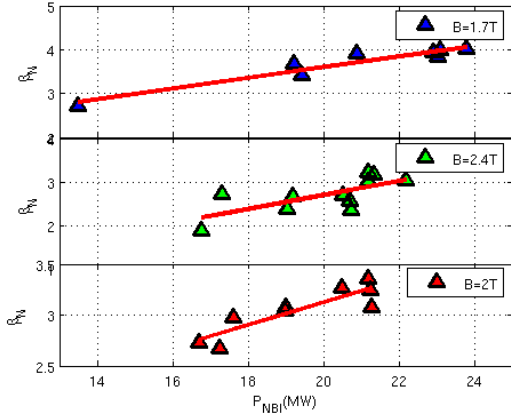


Fig.1.  $\beta_N$  vs  $P_{NBI}$  for  $B=1.7T$ ,  $2.0T$ ,  $2.4T$  ( linear fits in red )

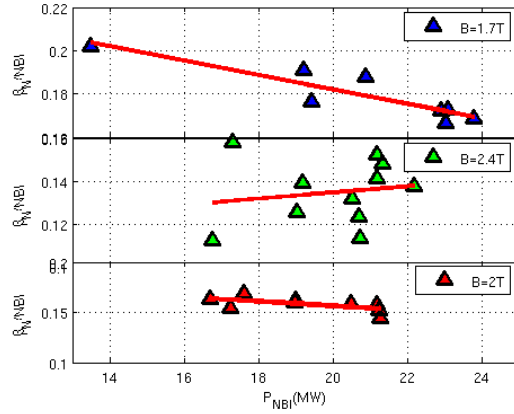


Fig.2 .  $\beta_N/P_{NBI}$  vs  $P_{NBI}$  (MW) for  $B=1.7T$ ,  $2.0T$ ,  $2.4T$  ( red lines linear fits )

Another aspect of this behaviour is the H98Y ( the confinement improvement factor with respect to ITER Confinement Scaling ) increasing with normalized beta.

### 3.Dynamics of kinetic profiles including pedestal.

It is interesting to observe the evolution of the temperature and density profiles ( as measured by HRTS, High Resolution Thomson Scattering) while the high beta phase in a discharge is reached .

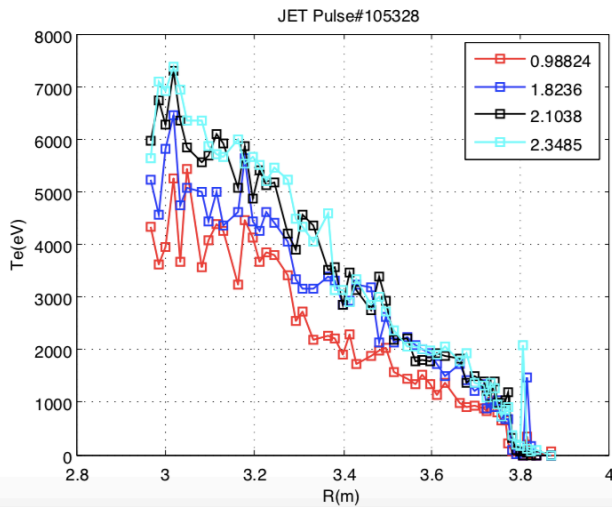


Fig.3. JPN105328 Formation of  $T_e(R)$  ITB

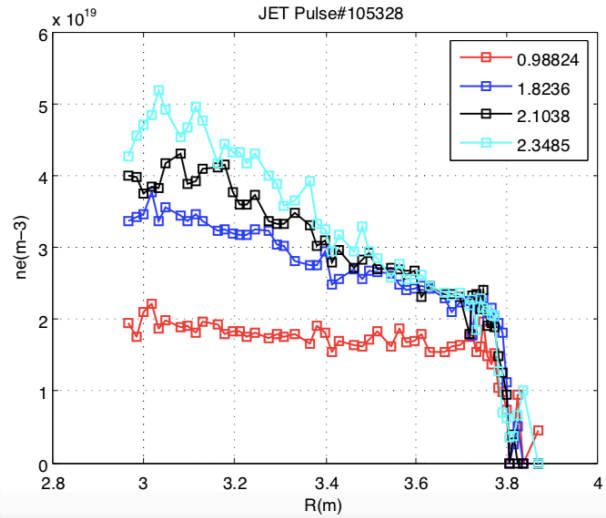


Fig.4.JPN105328 formation of  $n_e(R)$  ITB

The dynamics of formation of the ITB can be observed in Fig.3 which reports the  $T_e$  spatial profiles versus the major radius at  $\beta_N = 1.8, 2.1, 2.3$  for JPN 105328 (  $B/I_p = 2.4T/1.4MA$  ) . The ITB is formed at  $\beta_N = 2.34$  in the radial position  $R = 3.3m$ : once the pedestal reaches the maximum height ( compatible with MHD stability ) the ITB is formed . This means that the improvement of confinement of bulk plasma is consequent to the establishment of the pedestal stability. As a consequence of ITB formation, a temperature peaking can be observed :  $T_e(R=3)/T_e(3.6) = 5/2 = 2.5$  ( at  $\beta_N = 1.8$  ) increases to  $7/2 = 3.5$  ( corresponding to  $\beta_N = 2.34$  ) , see Fig.3. The time evolution

of the density profile is reported in Fig.4 : the change of density profile starts from the pedestal and the ITB forms at  $R \approx 3.4\text{m}$ . The density peaking appears as one of the consequences of the ITB formation :  $n_e(R=3)/n_e(R=3.6)$  increases from  $3.5/2.5=1.4$  to  $5/2.5=2$ . The ion-ITB is formed as well : the ion temperature radial profiles (as measured by the CXRS, Charge Exchange Recombination Spectroscopy) for times when  $\beta = \beta_{\text{MAX}}$ , show that the formation of an ITB is done at  $R=3.4\text{m}$ .

#### 4. Current profile evolution

The time evolution of the  $q_0$  ( the safety factor on axis) and  $\beta_N$  at the start and during the heating phase for JPN #103116 ( BT=2.4T), shows that  $q_0 > 1$  while approaching the maximum beta. The  $q_0$  versus time was evaluated using EFIT constrained by polarimetry measurements ( EFTF) and also by MSE polarimetry ( EFTM , polarimetry channels in addition to MSE , motional Stark effect measurements) and  $q_0 > 1$  for most of the discharge. The q-profile evolution was evaluated by EFTF for time close to  $\beta_{\text{NMAX}}$  where there is a change in the shear of q-profile at mid radius .

#### 5. Conclusions

The confinement property of the high beta discharges show a linear dependence of the maximum beta obtained on the input power : this can be compatible with a weak dependence of the confinement time on the input power . This explains also the linear dependence of the H98Y ( the confinement improvement factor) with normalized beta. The formation of an Internal Transport Barrier is part of the dynamics of the high beta phase. In high performances discharges the safety factor ( as measured by EFIT constrained by polarimetry and MSE ) at the plasma centre remains  $q_0 > 1$  during the high beta phase. It must be noted that the similarity experiments enable the investigation of JT-60SA scenarios already in OP2 with limited auxiliary heating power.

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(\*) See author list in C F Maggi et al., Nuclear Fusion 64(2024)112012

(\*\*) See author list in E Joffrin et al , Nuclear Fusion 64(2024)112019

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