



## Impact of elongation on peeling–ballooning stability in TCV H-mode pedestals

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### 1 Motivation & Goal

#### Background

- ITER pedestals are expected to be limited by low- $n$  peeling modes, motivating studies of peeling-limited regimes [1,2,3]
- Most existing tokamaks operate in ballooning-limited regimes [4,5]
- However, previous TCV experiments reached peeling-limited pedestals close to the nose of the peeling–ballooning boundary [3]
- Studies in KSTAR [6] and MAST-U [7] show that increasing plasma elongation can stabilize high- $n$  ballooning modes and shift the limiting instability toward lower  $n$

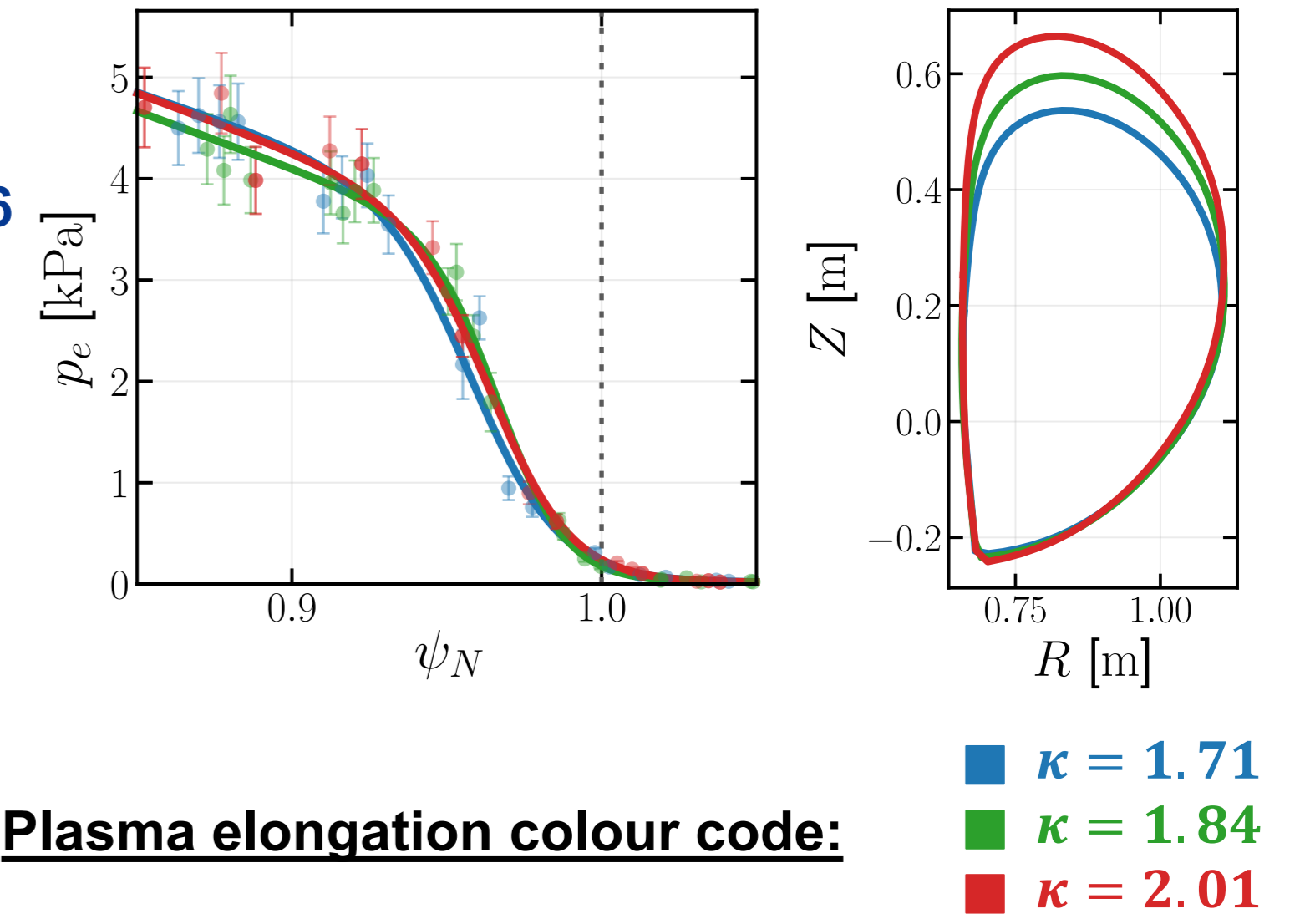
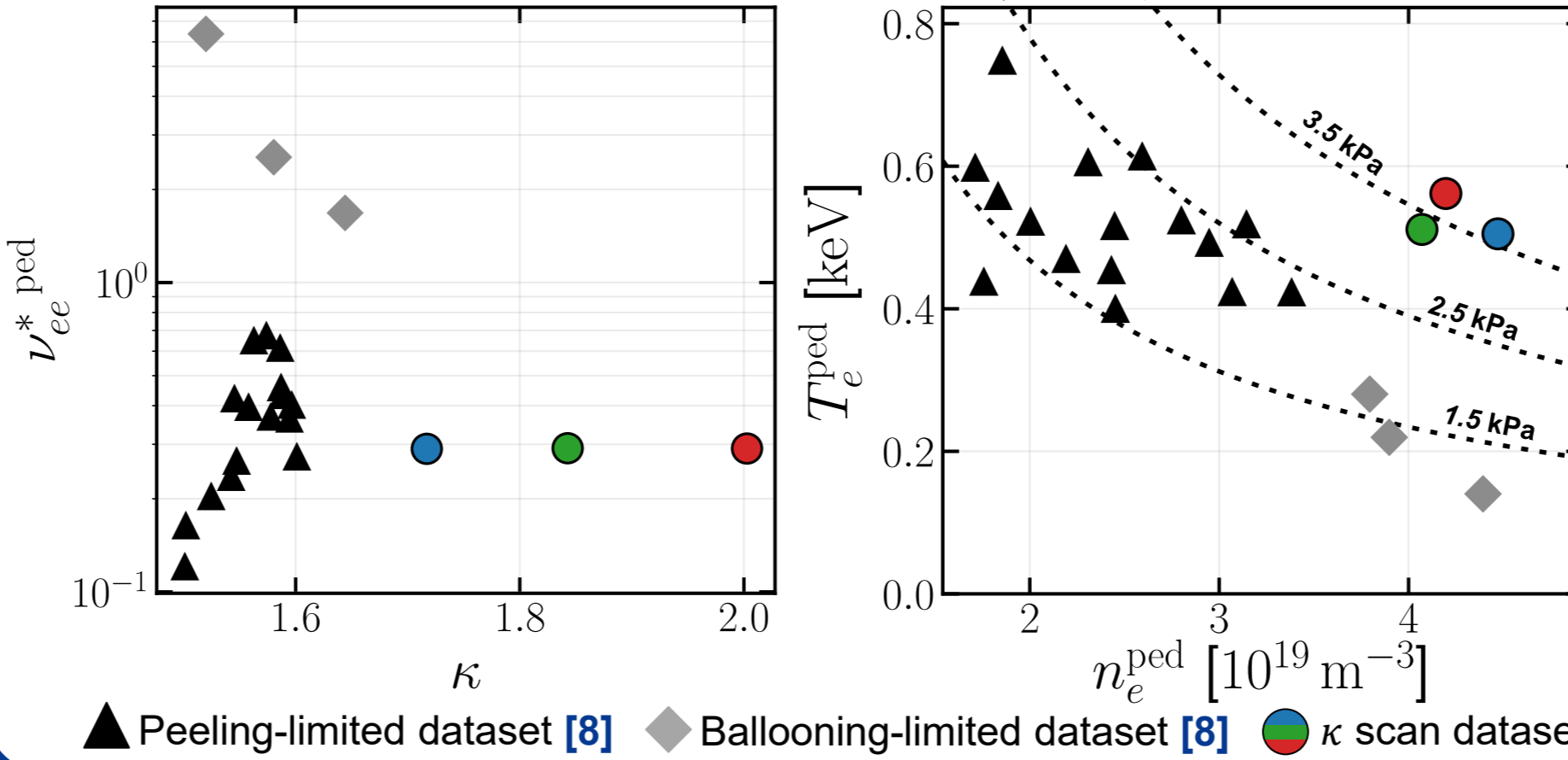
#### Goals of the study

- Determine how  $\kappa$  affects the peeling–ballooning stability and the limiting mode number in TCV.
- Assess whether increasing  $\kappa$  can move TCV pedestals closer to the low- $n$  peeling-branch, rather than near the nose

### 2 The Dataset

Two TCV H-mode discharges were analysed: #81545 and #81586

- 430 kA / 1.43 T,  $P_{\text{ECRH}} \approx 1.8$  MW,  $\beta_N \approx 1.48$ –1.65,  $Z_{\text{eff}} \approx 2.4$
- Three time intervals were selected:  $\kappa = 1.71, 1.84,$  and  $2.01$
- The  $\kappa$  scan dataset reaches relatively low  $v_{ee}^{\text{ped}} \sim 0.3$



- Plasma elongation colour code:**
- Blue  $\kappa = 1.71$
  - Green  $\kappa = 1.84$
  - Red  $\kappa = 2.01$
- No large variation of the  $p_e$  profile with  $\kappa$  is observed**
- Variations are small compared to the scatter of the data
  - $\kappa$  is increased mainly through the upper elongation

### 3 Peeling–Ballooning Stability

The following assumptions were used in the analysis:

- $T_i = T_e$  was assumed, since no CXRS measurements were available
- $T_e^{\text{sep}} = 81$  eV was calculated for the  $\kappa = 1.84$  case using the two-point model [9], and the same value was assumed for all  $\kappa$  (sensitivity scans of  $\pm 20\%$  did not change the conclusions)
- $q_0 \sim 1$  was used to avoid unrealistically low  $q_0 < 1$

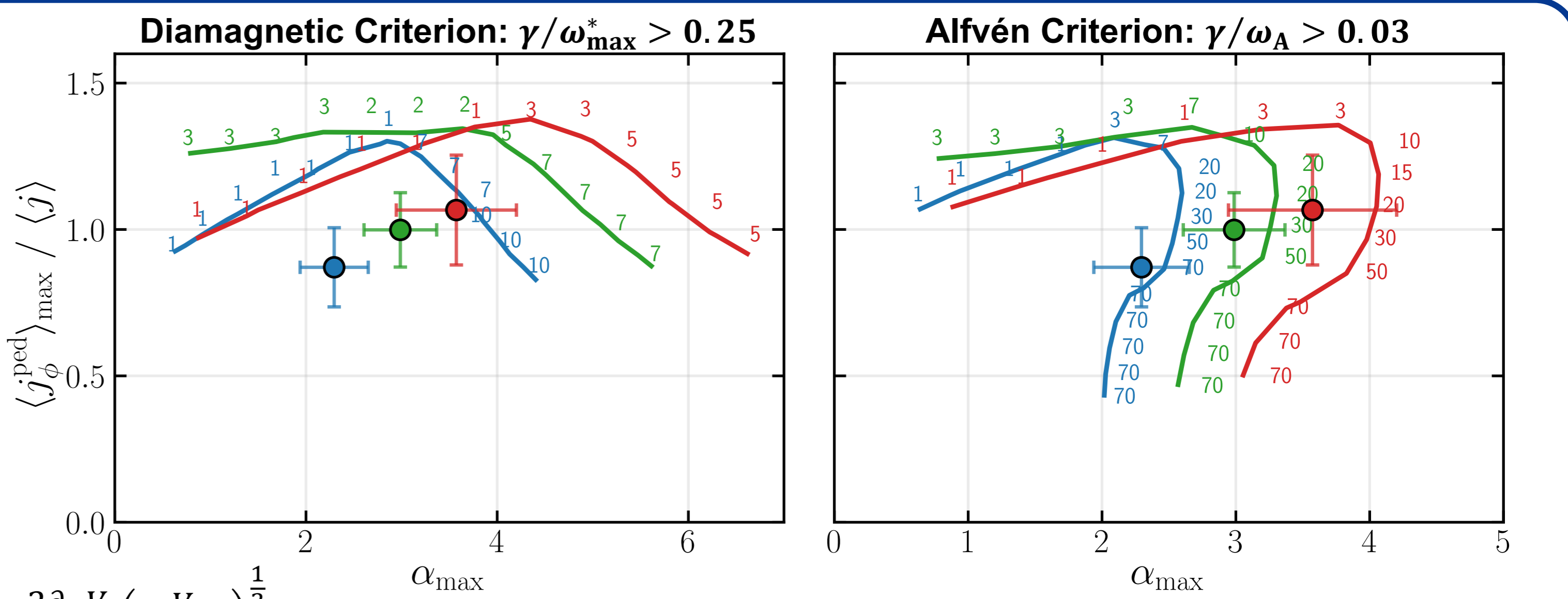
#### Results:

- The peeling–ballooning stability was calculated using a HELENA-MISHKA workflow [1,10,11]
- Both the diamagnetic and Alfvén criterion show a shift of the stability boundary toward higher  $\alpha_{\text{max}}$  with increasing  $\kappa$ , caused by a stabilization of the higher- $n$  ballooning modes
- With the Alfvén criterion,  $n_{\text{crit}}$  decreases from  $n = 50$ –70 at  $\kappa = 1.71$  to  $n = 15$ –30 at  $\kappa = 2.01$
- With the diamagnetic criterion, the  $\kappa = 2.01$  case approaches the low- $n$  peeling-branch

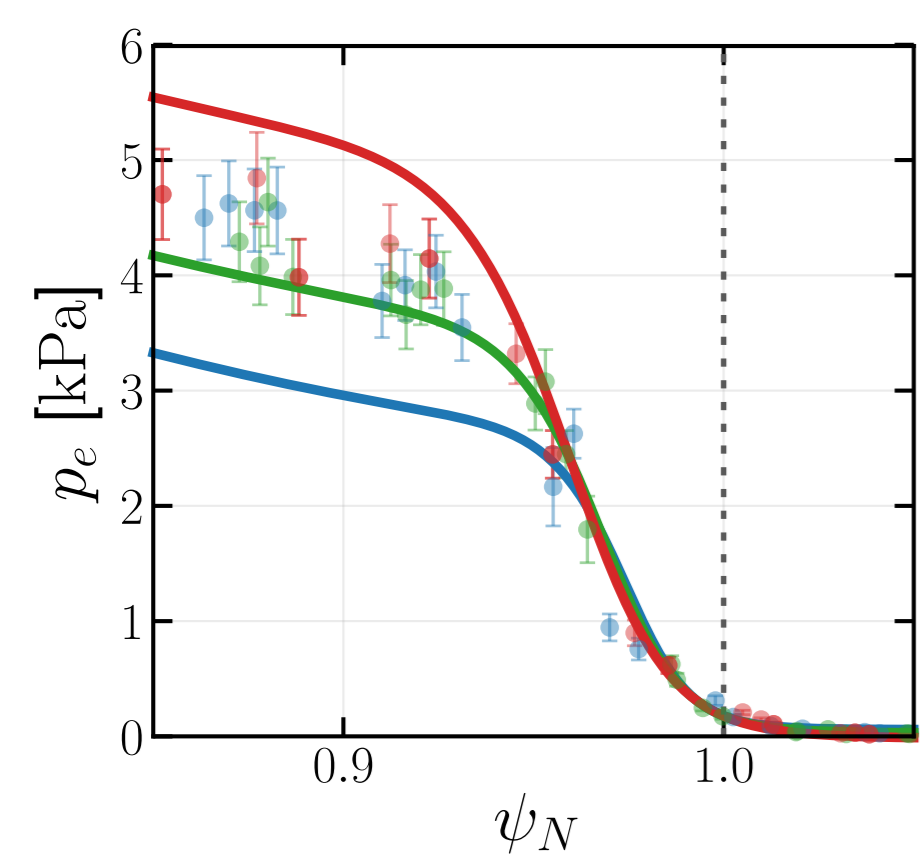
**Increasing  $\kappa$  shifts the pedestal toward higher  $\alpha_{\text{max}}$  and lower  $n_{\text{crit}}$**

$$\alpha = -\frac{2\partial\psi V}{(2\pi)^2} \left( \frac{V}{2\pi^2 R_0} \right)^{\frac{1}{2}} \mu_0 \partial\psi p \rightarrow \alpha \text{ can be affected by changes in shape, } V(\psi_N), \text{ even for similar } p$$

$\rightarrow$  This can explain the increase in  $\alpha_{\text{exp}}$  with increasing  $\kappa$



### 4 Europed Predictions



The predictive pedestal code Europed [12] was used to assess whether the experimental trends could be reproduced

- Europed is based on the EPED model [13], using the relation:

$$w = c_{\text{KBM}} \sqrt{\beta_{\theta}^{\text{ped}}}$$

- The  $\kappa = 1.84$  case was used as a reference, with the experimental  $n_e^{\text{ped}}$ ,  $n_e^{\text{sep}}$ , and  $\beta_N$  as inputs
- Calibration of the KBM width constant resulted in:  $c_{\text{KBM}} = 0.11$

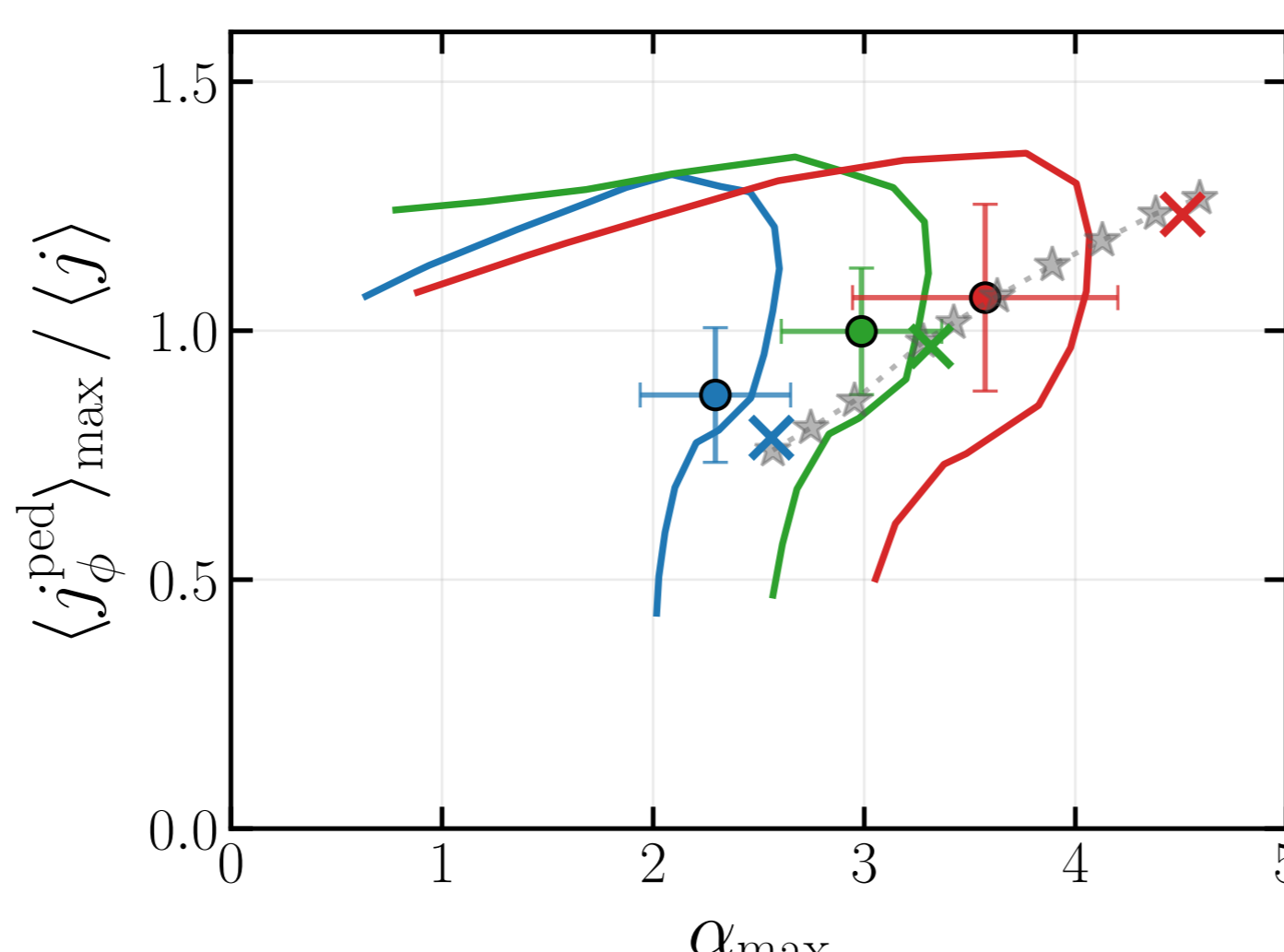
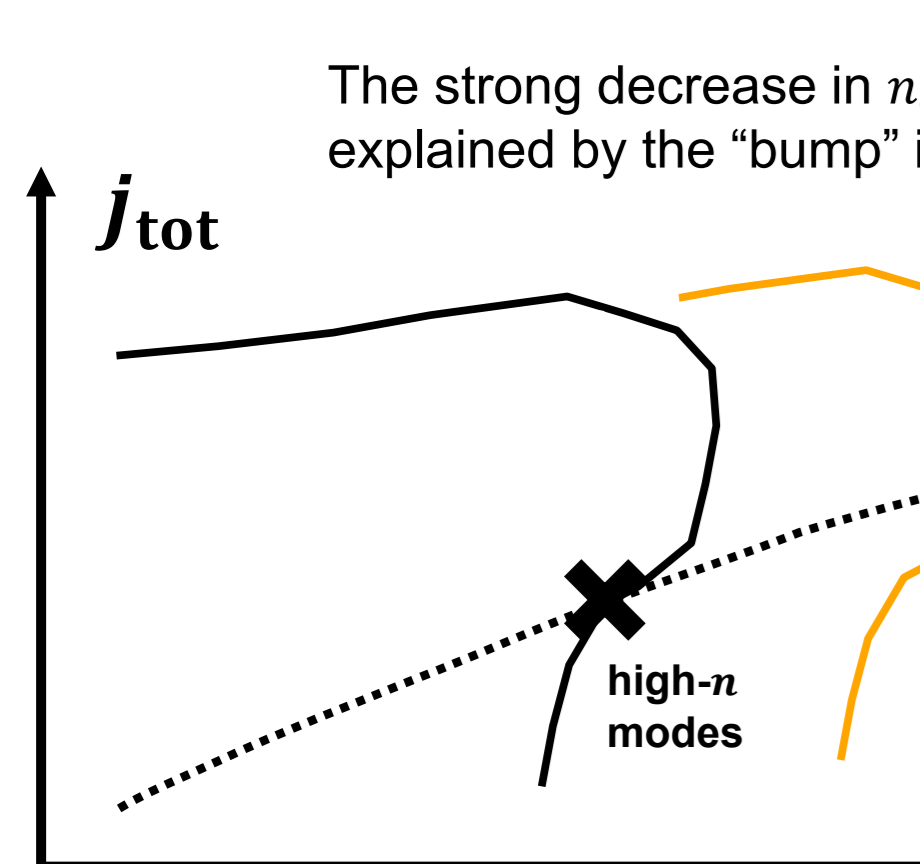
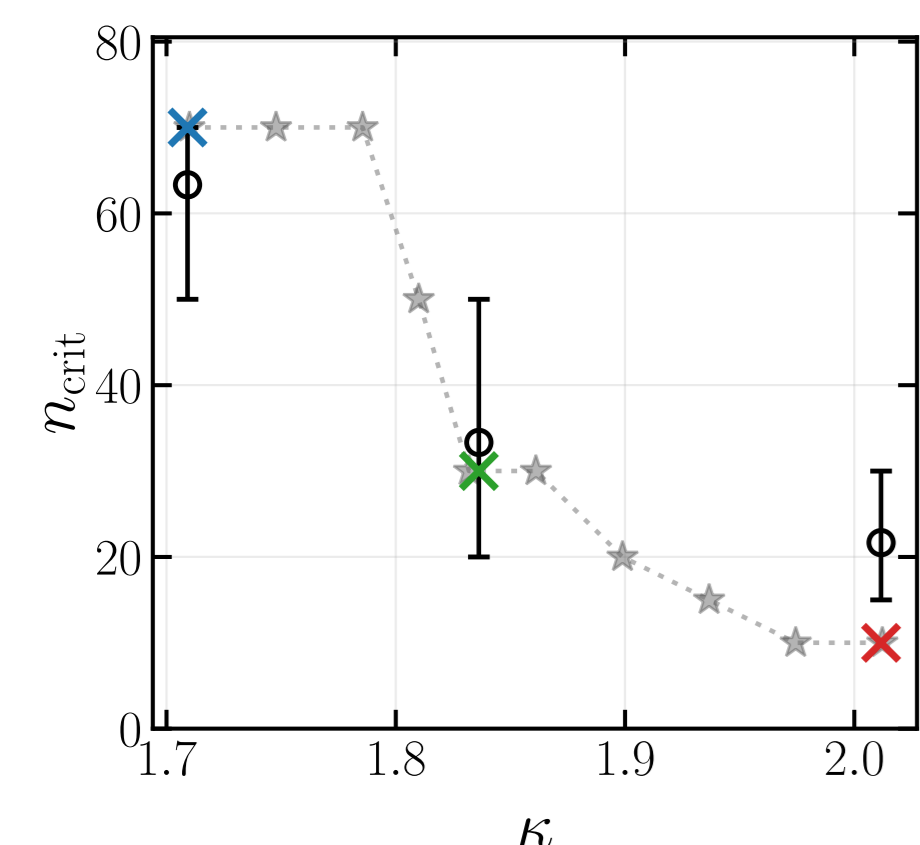
The plasma elongation was changed through two methods, while keeping all other input parameters fixed:

- Using the experimental boundaries
- Using a fitted  $\kappa$  scan, where the upper elongation is varied within the experimental range ( $\kappa = 1.84$  was fitted using the parametrization in [14])

#### Results:

- The fitted  $\kappa$  scan and the experimental boundaries give similar results, indicating that  $\kappa$  is the dominant shaping effect
- With  $c_{\text{KBM}} = 0.11$ , Europed underestimates  $p_e^{\text{ped}}$  at  $\kappa = 1.71$  and overestimates it at  $\kappa = 2.01$
- Despite this, Europed reproduces the decrease in  $n_{\text{crit}}$  and increase in  $\alpha_{\text{max}}$  with increasing  $\kappa$
- In  $j$ – $\alpha$  space, Europed captures the stability trend reasonably well, with a slight overprediction for  $\kappa = 2.01$

**With  $c_{\text{KBM}} = 0.11$ , Europed captures the qualitative  $\kappa$ -dependence of the stability**



### 5 Sensitivity to $c_{\text{KBM}}$

To test why a fixed  $c_{\text{KBM}} = 0.11$  does not give quantitative agreement, Europed was calibrated separately for each  $\kappa$

- Experimental  $n_e^{\text{ped}}$ ,  $n_e^{\text{sep}}$ , and  $\beta_N$  were used for each  $\kappa$ , while  $c_{\text{KBM}}$  was varied to obtain good experimental agreement
- The variations in  $n_e^{\text{ped}}$ ,  $n_e^{\text{sep}}$ , and  $\beta_N$  had only a minor impact; the main improvement comes from changing  $c_{\text{KBM}}$
- The individual calibrations reproduce  $p_e^{\text{ped}}$ ,  $w_{pe}$ , and  $\nabla p_e$ , with slightly weaker agreement for  $\kappa = 2.01$
- The decrease in  $n_{\text{crit}}$  with increasing  $\kappa$  is preserved

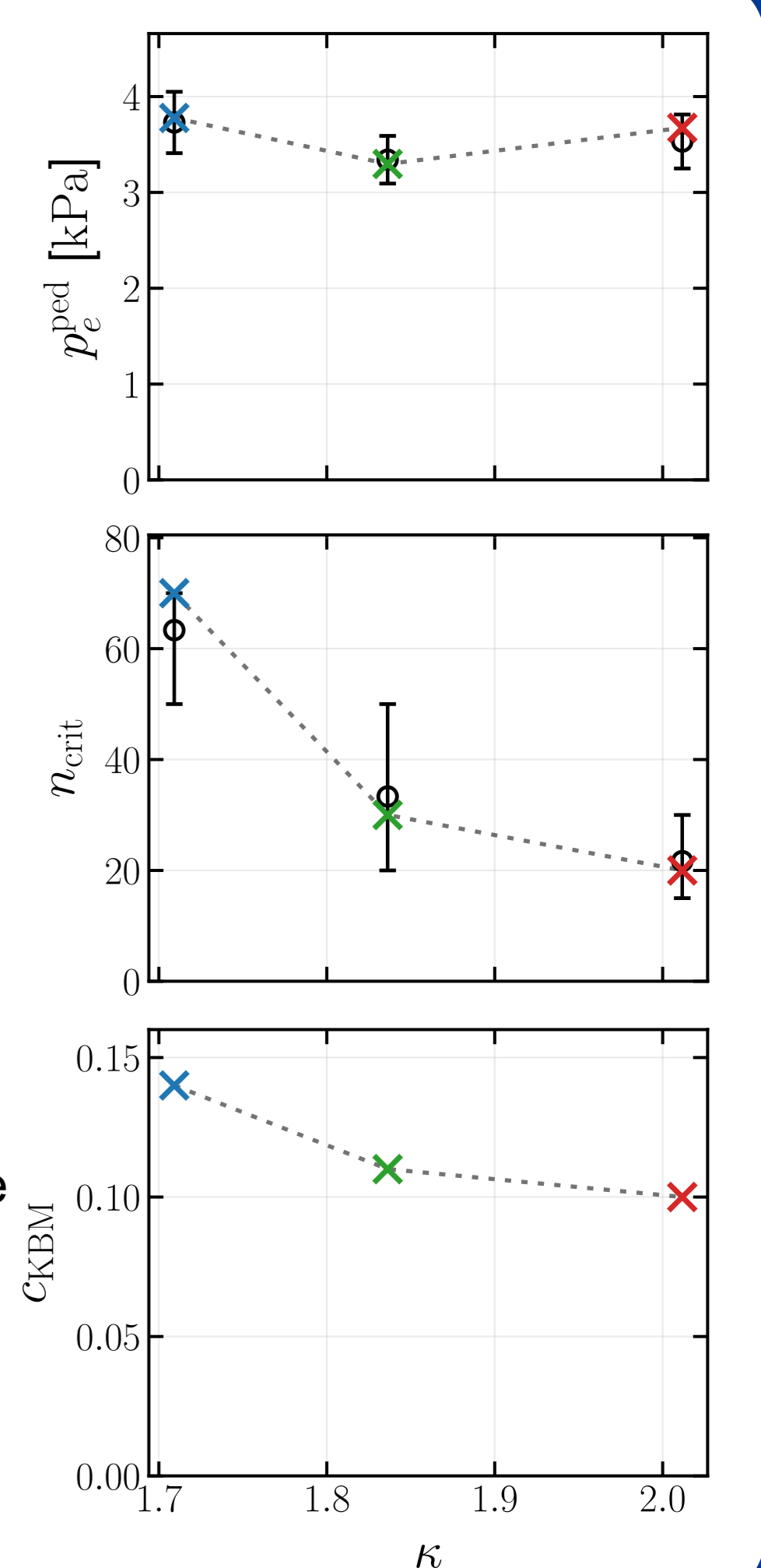
The calibrated  $c_{\text{KBM}}$  decreases with increasing  $\kappa$ :

- $c_{\text{KBM}} = 0.14$  at  $\kappa = 1.71$ , decreasing to  $c_{\text{KBM}} = 0.10$  at  $\kappa = 2.01$
- This suggests a possible shape dependence of  $c_{\text{KBM}}$ , and may indicate that the pedestal turbulent transport changes with  $\kappa$

Confirming these results and justifying the use of a shape-dependent  $c_{\text{KBM}}$  requires additional work:

- Gyrokinetic transport analysis and experimental edge turbulence measurements are needed to assess the impact of  $\kappa$  on pedestal turbulent transport

**Separate  $c_{\text{KBM}}$  calibration suggests a decrease with  $\kappa$ , which needs to be confirmed**



### 6 Conclusion & Future Work

#### Experimental results:

- Increasing  $\kappa$  shifts the pedestal stability toward higher  $\alpha_{\text{max}}$  and lower  $n_{\text{crit}}$ , moving the pedestal closer to a peeling-limited regime

#### Europed results:

- Europed captures the qualitative elongation dependence of the stability
- Quantitative agreement may require a shape-dependent  $c_{\text{KBM}}$

#### Future work:

- Dedicated high- $\kappa$  H-mode experiments with stationary high- $\kappa$  and ELM phases
- $T_i$  measurements to test the  $T_i = T_e$  assumption
- Experimental and gyrokinetic analysis to study how pedestal turbulent transport changes with  $\kappa$

### References

- [1] Saarelma et al, NF, 2012 [2] Snyder et al, NF, 2011 [3] Frassinetti et al, NF, 2026 [4] Frassinetti et al, NF, 2021 [5] Sheikh et al, PPCF, 2019 [6] Kim et al, PoP, 2022 [7] Imada et al, NF, 2024 [8] Frassinetti et al, EPS 2022 [9] Stangeby et al, NF, 2015 [10] Huysmans et al, IJOMP C, 1991 [11] Mikhailovskii et al, PPR, 1997 [12] Saarelma et al, PPCF, 2018 [13] Snyder et al, PoP, 2009 [14] Luce et al, PPCF, 2013